

Using Keeper Control and Body Bias for Fine Grained Threshold Voltage Compensation in Dynamic Logic

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ABSTRACT

We propose a novel fine-grained scheme to compensate for within-die variations in dynamic logic to reduce the variation in leakage, delay and noise margin using both keeper control and body-biasing. We first show that the amount of compensation needed depends on the correlation that exists between gates, and then analytically show the possible reduction in the variance of the leakage and delay of both a single and multiple dynamic logic gates. We then design circuits to implement the system which provides the reduction in the variance of the leakage, delay and noise margin of dynamic logic gates and show that it produces a close match to the analytical results. In one design the variance of the leakage of 169 gates is reduced by 27% and the variance of the path delay is reduced by 39%.

1. INTRODUCTION

CMOS scaling has been driven by the desire for higher transistor densities and faster devices. Along with the continued CMOS scaling, down into the nanometer regime, has come increased process variations of circuit parameters such as the transistor channel length and transistor threshold voltage [1]. The increased process variations can have a significant effect on circuit performance and power [2].

Historically, in order to cope with intrinsic variability, Integrated Circuit (IC) designers have implemented circuits with the worst-case process variations in mind [3]. However, designing at the worst-case process corner leads to excessive guard-banding, and thus more recent techniques have implemented adaptive circuit techniques by implementing control circuits on-chip that monitor the process variations within circuit devices, and change the characteristic of the devices [4, 5, 6]. These techniques, however, are usually implemented at the chip-level, or block-level.

One specific type of circuit topology that is extremely sensitive to process variations is dynamic logic [7] which is usually used in high-performance parts of microprocessors and other VLSI circuits [8].

In the past, a weak keeper, which did not impact performance significantly, was sufficient to maintain the dynamic node voltage [8]. However with the exponential increase in leakage currents keepers must be made larger to offset for the worst-case leakage through the pull-down network, thus, reducing the performance advantage of dynamic gates over other circuit topologies. Also for dynamic logic, which can be sensitive to highly local variations, chip or block level techniques cannot provide the required compensation to ad-

just the leakage and performance.

An adaptive circuit technique that is particularly useful for dynamic logic is that of keeper control, where the keeper strength is changed to account for difference in process parameters [9]. [9] uses three keepers for each dynamic logic gate where each keeper can be turned off or on providing a variable keeper strength. However, since the technique use a digital scheme to determine the keeper strength there is a large overhead associated with producing and routing signals at a local level, and thus is performed at the chip level, and thus local process variations are not compensated.

We propose a fine-grained adaptive circuit technique that trades off noise-margin and/or leakage for performance post-fabrication to reduce variability. The control scheme is referred to as fine-grained because it is done *locally* in a small neighborhood on the die, and because it is done using a continuous analog signal rather than a discrete digital signal. By reducing the variability, the keeper can be down-sized leading to increased performance.

The rest of this paper is organized as follows: Section 2 provides an overview of the dynamic compensation scheme. Section 3 then provides a framework for finding the optimal amount of compensation. The design of circuits to provide the compensation is presented in Section 4. Section 5 provides the results for the compensation scheme, and finally Section 6 concludes.

1.1 Technology

All simulation results reported in this paper are based on HSPICE, using Berkeley Predictive Technology Models (BPTM) [10] for a 70nm technology. The transistor models were expanded to include gate tunneling leakage which was modeled using a combination of four voltage-controlled current-sources, as in [11]. All simulations presented were performed on a four-input dynamic NOR. The simulations were performed at 110°C where leakage, delay, and noise margin are all more critical than at low temperatures.

2. OVERVIEW

To compensate for variations in the leakage, performance and noise margin of dynamic logic gates we will use both keeper control and body biasing to change the characteristics of the dynamic logic gate in response to underlying variations as shown in Figure 1.

Body biasing, via controlled changes to V_{bs} , can compensate for variations by changing the threshold voltage, V_{tn} , of the pull-down transistors [4]. Given that body bias changes

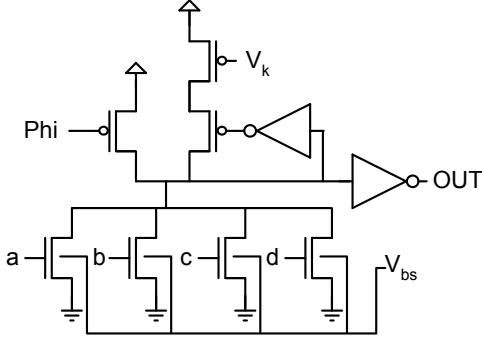


Figure 1: Domino Gate Configuration

the threshold voltage of the pull-down transistors directly, V_{bs} should be able to compensate for all the effects that a varying V_{tn} has on a dynamic gate including leakage, delay and noise margin at the same time, but, through simulation it was found that while applying a body bias, $V_{bs} = f(\cdot)$, can virtually eliminate the variation in leakage, a different function $V_{bs} = f_1(\cdot) \neq f(\cdot)$ is needed to compensate for variations in delay, and a further third function is needed to compensate for variations in noise margin.

To work around the need for different functions, keeper control, via controlled changes to V_k , which has virtually no impact on leakage in a correctly functioning gate, will be used to compensate for variations in delay after body-bias is used to compensate for variations in leakage. While variations in noise margin will not be fully compensated for (since a third control signal will be needed), they will be reduced with the combination of body bias and keeper control.

We obtain V_{bs} and V_k from monitoring circuits which *measure* the process variations and produce a body bias and keeper voltage that provide the compensation. The monitoring circuits will be designed and layed out to look like an actual functioning dynamic gate, thus allowing systematic Within-Die (WID) variations within the monitor circuit to be correlated to those within the functioning gate.

The monitor circuits produce a change in V_{bs} and V_k based on the actual variations in that chip; we refer to the functional dependence of V_{bs} and V_k on the variations as *transfer functions*. In order to determine the transfer functions, the effect of V_{tn} , V_{tp} , V_{bs} and V_k on the leakage, delay, and noise margin of a dynamic gate was determined through simulation. Leakage has an exponential dependence on V_{tn} and V_{bs} but has very little dependence on V_{tp} and V_k (the keeper is ON when the gate is not switching). The delay and noise margin of the dynamic gate both have a near linear dependence on V_{tn} , V_{tp} , V_{bs} and V_k . V_{tn} has a stronger effect on both the delay and the noise margin compared to V_{tp} .

3. OPTIMAL COMPENSATION

In this section we will provide the mathematical framework for determining the optimal compensation for reducing the variation in leakage and delay. To simplify the analysis, the effect of V_{tp} will originally be ignored.

Variations normally have three components: a die-to-die component, a within-die systematic component, and a within-die random component. The term “systematic” refers to the parts of the variations which have some correlation across

the die, while the “random” component refers to the parts of the variations that are totally independent. Compensation for die-to-die variations has been discussed in the literature. In this work, we focus on the within-die systematic variations. Compensation for random variations remains a topic of future work.

Threshold voltage variations have a within-die random component arising from random dopant fluctuations, and a within-die systematic component arising from systematic variations in length [12] (and, of course, from any systematic deliberately applied variations in body voltage that are introduced by our monitoring circuits).

3.1 Compensating for Leakage

Leakage has an exponential dependence on both V_{tn} and V_{bs} (the dependency to V_{tn} is much stronger than the dependency to V_{bs}) and it can be written as

$$I = I_{nom} e^{b_I \Delta V_{tn0} + a_I \Delta V_{bs}} \quad (1)$$

where ΔV_{tn0} is the variation of the threshold voltage of the gate of interest and b_I and a_I are constants obtained through simulation; they are sensitivity coefficients. This last equation can also be written as $\Delta \ln I = \ln(I/I_{nom}) = b_I \Delta V_{tn0} + a_I \Delta V_{bs}$. Let ΔV_{tn1} be the variation in the threshold voltage in the MOSFETS of the monitoring circuit itself. If ΔV_{tn0} and ΔV_{tn1} are totally correlated (i.e. $\Delta V_{tn0} = \Delta V_{tn1}$), then it is clear that the transfer function that completely eliminates the variation in leakage is $\Delta V_{bs} = -\frac{b_I}{a_I} \Delta V_{tn1}$. We will call this transfer function the *basic* transfer function. As we will see below, when the correlation is not total, other transfer functions will be required, effectively providing less compensation than this basic transfer function.

If we assume that the distributions of ΔV_{tn0} and ΔV_{tn1} are Gaussian with means 0 and variances σ_{n0}^2 and σ_{n1}^2 , respectively, then the mean and variance of $\Delta \ln I$ can be determined with and without compensation, as follows. When there is *no* compensation, $\Delta \ln I$ is a linear function of ΔV_{tn0} and thus the mean and variance of $\Delta \ln I$ can easily be computed as $E[\Delta \ln I] = 0$ and $\text{Var}[\Delta \ln I] = b_I^2 \sigma_{n0}^2$. When there *is* compensation, we will define $V_{bs} = -(b_I/a_I^*) \Delta V_{tn1}$ instead of $V_{bs} = -(b_I/a_I) \Delta V_{tn1}$ to keep the calculations general and allow for a discussion on how different transfer functions effect the distribution of the leakage after compensation. Thus $\Delta \ln I = b_I \Delta V_{tn0} + \frac{a_I}{a_I^*} b_I \Delta V_{tn1}$ and its mean can easily be computed to be 0 and it’s variance to be

$$\text{Var}[\Delta \ln I] = b_I^2 \sigma_{n0}^2 + \left(\frac{a_I b_I}{a_I^*}\right)^2 \sigma_{n1}^2 - 2b_I^2 \frac{a_I}{a_I^*} \sigma_{n0} \sigma_{n1} \rho_{n0,n1} \quad (2)$$

where $\rho_{n0,n1}$ is the correlation between the dynamic gate and the monitor. Taking the above equation and differentiating with respect to a_I^* , it is found that there is a minimum at

$$\frac{a_I}{a_I^*} = \frac{\sigma_{n0}}{\sigma_{n1}} \rho_{n0,n1} \quad (3)$$

Thus, depending on the correlation between the variations in threshold voltage in the monitor and the functioning gate, there is an optimal amount of under-compensation from the basic transfer function to minimize the variance of the log of the relative leakage of a gate. Since $\ln(\cdot)$ is a monotonically increasing function, the value a/a^* that minimizes the variance of $\Delta \ln I$ also minimizes the variance of I . When using the optimal amount of under-compensation, the variance

log of the relative leakage becomes $\text{Var}[\Delta \ln I] = b^2 \sigma_{n0}^2 (1 - \rho_{n0,n1}^2)$ which is always lower than the variance of the uncompensated gate.

3.2 Compensating for Delay

The delay through a domino logic gate, D , has approximately a linear dependence on ΔV_{tn} , V_k and ΔV_{bs} . Thus $\Delta D = b_D \Delta V_{tn0} + a_D \Delta V_{bs} + c_D \Delta V_k$, where b_D , a_D and c_D are constants found through simulation. Since V_{bs} is constructed to be $V_{bs} = f(\Delta V_{tn1}) = B \Delta V_{tn1}$, where B is a constant found from analysis in Section 3.4.1 to minimize the variation in leakage, the change in delay becomes $\Delta D = b_D \Delta V_{tn0} + a_D B \Delta V_{tn1} + c_D \Delta V_k$.

Then, a second monitoring circuit is used to produce the needed keeper voltage, $\Delta V_k = g(\Delta V_{tn2})$ where V_{tn2} is the variation in ΔV_{tn} of the second monitoring circuit. V_{tn2} is introduced separately from V_{tn1} , the variation in V_{tn} of the monitor used to compensate for variations in leakage, to keep the discussion of the impact of using monitors general.

If ΔV_{tn0} , ΔV_{tn1} and ΔV_{tn2} are totally correlated, then the basic transfer function needed to eliminate the variation in ΔD is $\Delta V_k = \frac{-b_D - a_D B}{c_D} \Delta V_{tn2}$. If we assume, as before, that the distributions of ΔV_{tn0} , ΔV_{tn1} and ΔV_{tn2} are Gaussian with mean 0 and variance σ_{n0}^2 , σ_{n1}^2 , and σ_{n2}^2 respectively then the mean and variance of ΔD can be determined with and without the use of compensation.

When there is no compensation the mean and variance of the delay can easily be found to be $E[\Delta D] = 0$ and $\text{Var}[\Delta D] = b_D^2 \sigma_{n0}^2$.

When there is compensation we will define ΔV_k as $\Delta V_k = \frac{-b_D - a_D B}{c_D} \Delta V_{tn2}$ instead of $\Delta V_k = \frac{-b_D - a_D B}{c_D} \Delta V_{tn2}$ to allow for a discussion of how different transfer functions effect the distribution of delay after compensation. Thus when using compensation, the mean of ΔD can be shown to be 0 and its variance, which is not shown for clarity, can be minimized with respect to c_D^* when:

$$\frac{c_D}{c_D^*} = \frac{b_D \sigma_{n0} \rho_{n0,n2} + a_D B \sigma_{n1} \rho_{n1,n2}}{\sigma_{n2} (b_D + a_D B)} \quad (4)$$

As seen previously, when trying to minimize the variation of the leakage, if the correlation between the monitors and the functioning gate is less than 1, under-compensating results in a lower variance in the delay.

When using the optimal amount of under-compensation and if $\rho_{n1,n2}$ approaches 1, and $\rho_{n0,n1} = \rho_{n0,n2}$ then the variance of the delay becomes $\text{Var}[\Delta D] = b_D^2 \sigma_{n0}^2 (1 - \rho_{n0,n2}^2)$ which is very similar to equation for the variance of the leakage. Given that the two monitors will be placed very close together and will nearly have the same distance to the functioning gate, the above assumptions are warranted.

3.3 Considering V_{tp} variations

When introducing V_{tp} variations into the analysis for the monitor producing V_{bs} , it is important that the monitor producing V_{bs} should also be fairly insensitive to V_{tp} variations since the leakage of the dynamic gate is quite insensitive to V_{tp} .

For the monitor producing V_k , incorporating V_{tp} variations in our delay model necessitates a few changes. First the change in delay becomes $\Delta D = b_{Dn} \Delta V_{tn0} + b_{Dp} \Delta V_{tp0} + a_D \Delta V_{bs} + c_D \Delta V_k$. Also, since it is very difficult to make the monitor that produces V_{bs} completely insensitive to V_{tp} , V_{bs} becomes $V_{bs} = B_n V_{tn1} + B_p V_{tp1}$, where B_p would ideally

be 0.

If ΔV_{tn0} , ΔV_{tn1} and ΔV_{tn2} are totally correlated, and ΔV_{tp0} , ΔV_{tp1} and ΔV_{tp2} are also totally correlated, the appropriate transfer function for V_k to eliminate the variation due to V_{tn} and V_{tp} is

$$\Delta V_k = \frac{-b_{Dn} - a_D B_n}{c_D} \Delta V_{tn2} + \frac{-b_{Dp} - a_D B_p}{c_D} \Delta V_{tp2} \quad (5)$$

With this equation, the variance of the uncompensated and compensated system can be determined much like before, but the number of terms needed is quite large and unreadable. A similar characteristic arises where an increased under-compensation provides the lowest variance as the correlation between the monitor and the functioning gate decreased.

3.4 Optimum Compensation for Many Gates

When a monitor controls a group of gates, the under-compensation that provides the minimum variance for the total leakage and path delay must be determined.

Let the total leakage of a group of gates, I_T , be defined as $I_T = I_0 + I_1 + \dots + I_{N-2} + I_{N-1}$ where I_i is the leakage of a single gate defined above. Since $\Delta \ln I$ is a normal distribution with mean $E[\Delta \ln I] = 0$ and variance $\sigma_{\Delta \ln I}^2$ as shown in (2), I_i is a lognormal distribution with $\mu_{I_i} = I_{nom} e^{\frac{1}{2} \sigma_{\Delta \ln I_i}^2}$ and $\sigma_{I_i}^2 = 2 I_{nom}^2 (e^{\sigma_{\Delta \ln I_i}^2} - 1) e^{\sigma_{\Delta \ln I_i}^2}$. Furthermore the variance of I_T can be determined to be:

$$\text{Var}[I_T] = \sum_{i=0}^{N-1} \sum_{j=0}^{N-1} \sigma_{I_i} \sigma_{I_j} \rho_{i,j} \quad (6)$$

Equation 6 can now be minimized numerically in relation to a_I^* ; in this study we have made the following reasonable assumptions to simplify the computation¹:

1. $\sigma_{ni} = \sigma_n$ for all i (i.e. the variance of the underlying V_{tn} variations in all transistors is the same).
2. The correlation between the V_{tn} variations approaches 1 as the distance between two transistors is lowered, and approaches 0 as the distance gets larger.
3. The monitor is placed at the centre of a square of gates.
4. All other gates i are placed around the monitor.

For the variance of the path delay we follow a similar derivation. Let the total delay of a critical path, ΔD_T , be defined as $\Delta D_T = \Delta D_{-M} + \Delta D_{-M+1} + \dots + \Delta D_0 + \Delta D_{M-1} + \Delta D_M$. The mean of ΔD_T is 0, and its variance is

$$\text{Var}[\Delta D_T] = \sum_{i=-M}^M \sum_{j=-M}^M \sigma_{D_i} \sigma_{D_j} \rho_{i,j} \quad (7)$$

where σ_{D_i} is the standard deviation of the delay of gate discussed above. To simplify the analysis of the above equation and compute the value of c_D^* that minimizes the variance of the delay for a path of 13 gates we use very similar simplifying assumptions to those used above to find the a_I^* that minimizes the total leakage.

Now we replace $\rho_{i,j}$ in (6) and (7) to be $f_\rho(d(i,j))$ where $f_\rho(\cdot)$ is the correlation function described in item 2 above

¹These assumptions, however, do not reduce the generality of the framework. Using different assumptions will just provide a different numerical solution.

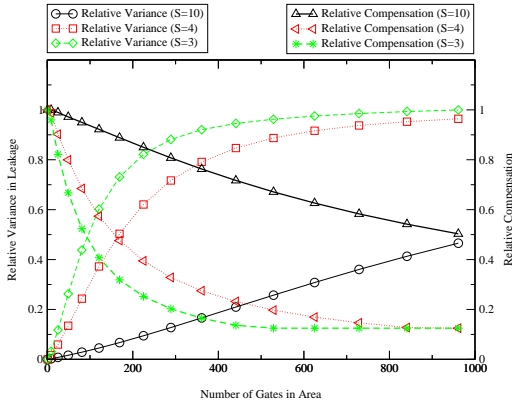


Figure 2: Optimum under-compensation and Reduction in Variance of Leakage

and d is the distance between two gates. Note that σ_{I_i} , σ_{D_i} , also have $f_p(\cdot)$ within them due to each gate being at a different distance from the monitors which controls it.

3.4.1 Solving for the Optimal under-compensation

The final part in allowing for a numerical solution is choosing the function, f_p . We have chosen to model the correlation function as $f_p(x) = e^{\frac{x^2}{2S^2\delta^2}}$ where x is the distance between the two logic gates in question, δ is a measure of the separation (or pitch) between two adjacent gates, and S is a measure of how quickly the correlation between gates decreases as the distance between them increases. Notice that $f_p(\cdot)$ looks very much like the Gaussian distribution, but it is not being used as a distribution. For practical purposes, one can think of $3S$ as the largest distance for which correlation between two transistors is not negligible. Again, the usefulness of analysis is not limited by using this specific function, but it allows us to obtain a numerical solution.

Fig. 2 shows the optimum under-compensation needed and the corresponding reduction in total leakage for an area of gates for different number of gates controlled by the monitors for $S = 3$, $S = 4$ and $S = 10$ in $f_p(\cdot)$. If the number of gates is low, the compensation that minimizes the variance is near the basic compensation, and the variance of the leakage is almost eliminated compared to an uncompensated system. As the monitor controls more gates a reduced compensation is needed and the variance of the leakage rises, though always being lower than that of an uncompensated system. At 169 gates, which comprises a $13\delta \times 13\delta$ area the optimal amount of under-compensation when $S = 3$ ($S = 4$, $S = 10$) is 0.32 (0.48, 0.88) where the variance of the total leakage is reduced by 27% (49.7%, 93.3%).

A similar analysis was performed for the variance of the delay, and is shown in Figure 3. Similar to the leakage results, at low gate counts the optimal compensation is near the basic compensation where the variance of the delay is reduced considerably. As the gate count increases, the compensation needed is reduced, and the relative variance increases. The variance of the compensated system, however, never increases above that of the uncompensated system. For a path delay composed of 13 gates, the optimal amount of under-compensation when $S = 3$ ($S = 4$, $S = 10$) is 0.7 (0.9, 0.92) when the variance of the total delay is reduced by 46% (63%, 69.5%).

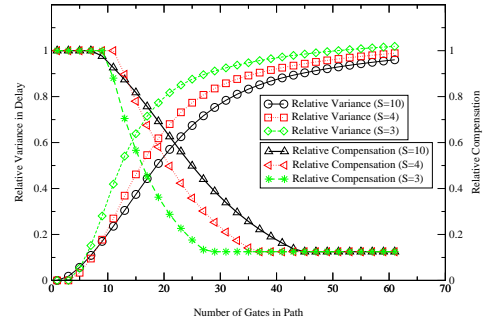


Figure 3: Optimum under-compensation and Reduction in Variance of Delay

Table 1: Characteristic of Monitor generating V_{bs}

	V_{tn}	V_{tp}
Basic Compensation	5.35	0
under-compensation Needed	0.318	N/A
Resulting Slope Needed	1.7	0
Slope Obtained	1.68	0.0452
under-compensation Obtained	0.31	N/A
Ideal Bias	0	0
Bias Obtained	-0.098	-0.098

4. MONITOR DESIGN

Now that the basic amount of compensation and the optimum under-compensation is known, the monitors can be designed to produce the required transfer functions. The transistor level design of the monitors must meet some requirements including (1) a similar topology to that of a dynamic gate to maximize correlations; (2) a transfer function equal or close to the required one for both V_{tn} and V_{tp} (3) an output average level in the correct operating range (near 0V for V_{bs} , near 0.5V for V_k); (3) a minimal amount of power consumption.

To find the monitor that provided the required transfer function for an area of 169 gates (13×13), a number of circuits were tested and one was found that met the requirements for V_{bs} very well; the required compensation with respect to V_{tn} is matched almost exactly, and there is very little variation in the monitor's output with changes in V_{tp} . The average bias output by the circuit is a little lower than optimal, but the negative body bias produced reduces the average leakage of the gates, with very little performance impact as will be seen below. The requirements for the monitor and the resulting characteristics for the monitors can be seen in Table 1.

For the monitor that produces the signal for V_k , a circuit could not be found that met the requirements exactly; the chosen monitor has a transfer function that provides a compensation that is much lower than what is required with respect to both V_{tn} and V_{tp} . While monitors were tested that had larger amounts of compensation and that more closely matched the requirement for compensation with respect to V_{tn} , the monitors either had a compensation with respect to V_{tp} that was much higher than required or the monitors had an average bias that was too close to V_{DD} or V_{SS} where the keeper would not function appropriately. The monitor that provided a lower amount of compensation than optimal was used since that was the more conservative choice.

Table 2: Characteristic of Monitor generating V_k

	V_{tn}	V_{tp}
Basic Compensation	7.6	1.33
under-compensation Needed	0.7	0.7
Resulting Slope Needed	5.36	0.94
Slope Obtained	1.46	0.21
under-compensation Obtained	0.19	0.16
Ideal Bias	0.5	0.5
Bias Obtained	0.503	0.503

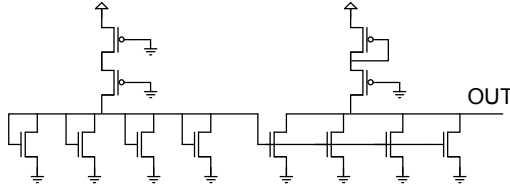


Figure 4: Monitor producing V_{bs} and V_k

The transistor level schematic of the monitors are shown in Figure 4. Both monitors have the same topology; the only difference is that the monitor producing V_{bs} has a V_{SS} of $-0.5V$. Since the monitor producing V_k does not produce the optimum under-compensation required, there will be less of a reduction in the variance of the path delay for 13 gates; instead of reducing the variance by 46% the variance is reduced by 41%.

5. RESULTS

To validate that the designed monitor does provide the reduction in variance that was predicted by the analysis in Section 3, Monte-Carlo (MC) analysis was performed on the circuitry. The testbench consisted of one functioning gate and both monitors. The MC analysis was performed with different correlation coefficients between the functioning gates and the monitors. If the reduction in variance obtained matches closely the theoretical reduction in the variance of the leakage and delay of single gates at different correlation coefficients shown in Section 3, then the results for the reduced variance of the leakage and delay a group of gates, shown in Section 3.4.1 are validated without the need to do MC analysis with a large number of gates which would be computationally expensive. The MC analysis was originally done with no PMOS variations and no variations in between the different transistors within the pull-down component of an individual gate. Then PMOS variations were included, and finally variations between the different pull-down transistors within a single gate were added.

Figure 5 shows the reduction in the variance of leakage when using compensation and compares it to the theoretical reduction in variance. The match is very close under the different MC simulation scenarios. When including the power drawn from the monitors providing V_{bs} and V_k , which is comparable to the leakage power of 21 and 24 dynamic gates respectively, the mean total leakage power will be reduced if more than 121 gates are controlled by the monitors since the mean leakage of a dynamic gate is reduced with the average negative body bias provided by the monitor. The worst-case leakage is reduced when the monitors con-

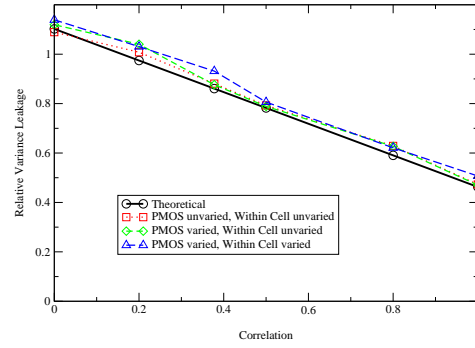


Figure 5: Reduction in the Variance of the Leakage

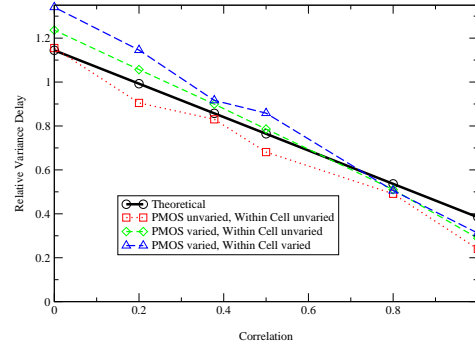


Figure 6: Reduction in the Variance of the Delay

trol more than 72 gates.

Figure 6 also shows a good match to the theoretical reduction in the variance of delay. When PMOS variations are also included, the match to the theoretical curve gets slightly worse since the monitor does not have the precise required degree of under-compensation in regards to V_{tp} . Finally, when the transistors within the pull-down are varying between themselves, the match is further degraded, this is due to the delay of the gate depending on the single pull-down transistor that is activated, as opposed to when compensating for leakage where the leakage and the monitor output depend on all pull-down transistors. When all variations are included, the design provides a 39% reduction in the variance of the path delay.

Figure 7 shows the reduction in variance in noise margin compared to that of an uncompensated gate. At high correlation coefficients the variance of the noise margin is reduced by 74%, and at a correlation coefficient of 0 the variance there is no improvement.

All the analysis and simulations performed thus far have been at a high temperature of $110^\circ C$ since the leakage is higher, the delay longer and the noise margin lower at this temperature compared to lower temperatures.

As the temperature is decreased the functioning of the compensation system can qualitatively be thought of as an increase in V_{tn} which decreases the leakage; thus the monitor transfer function tries to increase the leakage, and reduce the delay. It, however, does not exactly work as so since the transfer functions in the monitor is not purely a function of the subthreshold leakage.

After, performing the MC simulations at low temperatures the greatest change is the change in the mean of the leakage, delay and noise margin compared to the low temperature mean for the uncompensated gate.

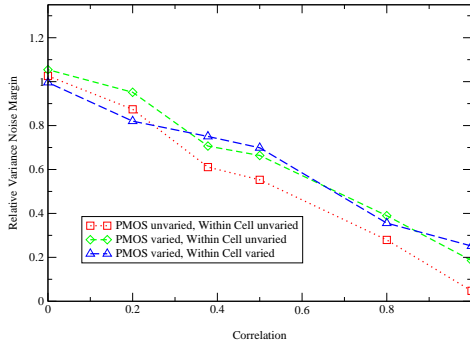


Figure 7: Reduction in the Variance of the Noise Margin

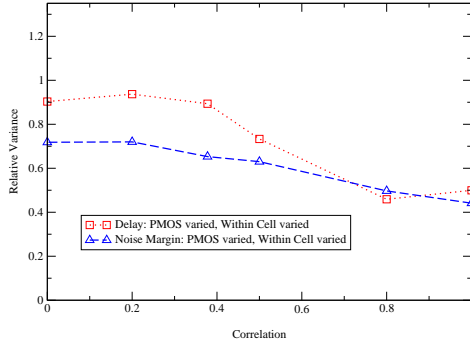


Figure 8: Reduction in the Variance of the Delay and Noise Margin with only Body Bias

At 27°C the leakage of the compensated gate is 21% larger than that of the uncompensated gate at low temperatures, but since it is only a tenth of the leakage of an uncompensated gate at high temperatures it is not much of an issue. The delay of the compensated gate is faster by 5% than that of an uncompensated gate. The only concern is the noise margin which is decreased from high temperatures to low temperatures and is 5% lower than that of the uncompensated gate, but this is not a problem since the noise margin is still 7% larger than the noise margin of the uncompensated gate at high temperatures.

5.1 With only one monitor

To differentiate between the effect of compensation when using body bias and keeper control together to when using them separately, a set of simulations were performed where only body biasing was used. As before the MC simulations for the reduction in the variance of leakage showed almost the same results since keeper control has very little effect on leakage. However, when not using keeper control the change in the variance of delay and noise margin were different. Figure 8 shows the reduction in variance for both delay and noise margin when using body bias alone; the variance of delay was reduced by around 40% with high correlation and there was no reduction when the correlation was 0. For the noise margin, at high correlations there is a near 50% reduction in the variance and in the worst-case there is a 15% reduction in the variance. When used with multiple gates, a system with body bias alone would reduce the path delay of 13 gates by 33% (37%, 39%) when assuming $S=3$ ($S=4$, $S=10$).

Thus compared to using both keeper control and body biasing, body biasing provides a slightly lower amount of

reduction in the variance of the delay as expected, but does provide better compensation for noise margin. Furthermore, the power overheads would be lower since only one monitor is used.

6. CONCLUSION

We have analytically shown the possible reduction in the variance of leakage of dynamic logic gates that are possible with compensation, and then designed circuits to implement the system. The designed circuits provide a reduction in the variance of the leakage, delay and noise margin of dynamic logic gates and provide a close match to the analytical results. In our design the variance of leakage is reduced by 27% and the variance of the path delay is reduced by 39%.

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